# Magnetic Reconnection and Electron Acceleration

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### **Magnetic Reconnection Theory**



#### **Sweet-Parker theory**

All the reconnection plasma flows through the shaded diffusion region. Very slow reconnection results.

#### **Petschek theory**

The reconnection region has been shrunk to a dot in the center. The plasma is accelerated at slowmode shock waves.

Note:  $\frac{\delta}{I}$  can tell which theory is right!

### Magnetic Reconnection Experiment (PPPL)





The vacuum vessel and equilibrium field coils (blue) of the MRX.

A plasma discharge in MRX. The two flux cores and magnetic diagnostics are visible.



- An example of driven magnetic reconnection measured in a single shot by a 2D probe array:
- (a) vector plot of poloidal field
- (b) poloidal flux contours.
- Toroidal field (the 3rd component)

is negligibly small.

The MRX experiment by H. Ji, et al. (1998, Phys. Rev. Lett. 80, 3256) showed the Sweet-Parker type of Magnetic Reconnection.

Where is the Petschek type reconnection? A determination of magnetic reconnection rate in astronomical bodies is desirable. For instance,



A soft X-ray image of the sun. Reconnection is thought to play a role in coronal heating and solar flares. The charged particles which create the aurora are thought to be accelerated through magnetic reconnection.





Optical Ha observations typically show elongated ribbon structures drifting apart from each other, which behavior inspired a "standard model" for the solar flare. In this model, the rapid eruption of a filament enables the magnetic field to reconnect, driving particle acceleration in the underlying loops. As successive field lines are reconnected at higher altitudes, whose foot-points are located further apart from each other. (Cartoon by P. Gallagher) Fig. 4. Meridional view of the reconnection configuration for antiparallel external and internal magnetic fields. The magnetic field lines are shown as solid lines. The magnetopause (MP) is shown as a current layer of finite thickness, with an adjoining boundary layer (BL) of comparable thickness. Those magnetosheath and magnetospheric field lines connected to the separator (or X line) form the outer  $(S_1)$  and inner  $(S_2)$  separatrices. Dashed lines are stream lines and the heavy arrows indicate plasma flow speed outside and inside the magnetopause. The reconnection electric field, E<sub>1</sub> is aligned with the magnetopause current, 1. (From Sonnerup et al., 1981).

# 1. Idea and Goal



Dimensionless magnetic reconnection rate

$$M \equiv \frac{u_i}{u_o} = \frac{L_x}{L_z} = \left|\frac{B_o}{B_i}\right| < 1$$

tells about the physics of reconnection.

Local magnetic reconnection rate

$$u_f B_f = u_i B_i = E_i$$

can be measured in two-ribbon solar flares.

Fig.1–Magnetic field, velocity, and length scales involved with 2D magnetic reconnection.

# 2. Method

#### **Electron energy deposition rate**

We can convert an observed hard X-ray spectrum into an electron distribution function and integrate it w.r.t. energy to determine the electron energy deposition rate.

#### Magnetic energy release rate

We can use the ribbon parameters to calculate the magnetic energy release rate with M unknown.

$$-\frac{\partial E_B}{\partial t} = 2\mathbf{S}_i \cdot \mathbf{A}_x = \frac{c}{2\pi} \mathbf{E}_y B_i A_x = \left(\frac{\upsilon_f B_f}{2\pi}\right) (B_i A_x)$$
$$B_f A_f = \int_0^{L_z/2} B_x L_y dz \approx \frac{1}{4} A_x B_o$$
$$\frac{\partial E_B}{\partial t} = -\frac{2\left|\upsilon_f B_f^2 A_f\right|}{\pi M}$$

$$I(\varepsilon) \rightarrow F(E) \implies \frac{\partial E_e}{\partial t} = \int_{E_0}^{\infty} F(E) dE$$



Fig.2– Proposed reconnection geometry.

#### **Reconnection rate**

By requiring the magnetic energy release rate and the electron energy deposition rate to agree with each other, we will determine the dimensionless magnetic reconnection rate.

$$\frac{\partial E_e}{\partial t} = \frac{\partial E_B}{\partial t} \implies M$$

## 3. Ribbon Candidates



**Fig. 3.** —**Flare ribbons at Ha line center and blue wing.** Left: Ha center-line image Middle: Ha-1.3 A plotted over the Ha line-center image (contours). Right: 1-D profiles of the Ha-1.3 A (thin line) and line-center emission (thick line). The blue-wing ribbon emission appears much narrower and is confined to the leading edge of the line-center ribbon and may better represent the instantaneously reconnecting area in the chromosphere.



## 4. Results



**Fig. 4.—Hard X-ray map and light curves in comparison with Ha (Sep 09, 2002).** Left: RHESSI map at 25–50 keV (contours) on top of a BBSO Ha blue-wing image. The HXR emission appears as a static source between the Ha kernels, maybe a loop source. Right: HXR light curve at 25–50 keV, time derivative of the Ha -1.3 A light curves at ribbon a1 (black line) and a2 (gray line), and at ribbon b, respectively.



**Fig. 5.—Location and area of the Ha blue-wing ribbon on an MDI magnetogram.** Left: Emission contours show the areas of the ribbon at selected four times  $t_1-t_4$ . Right: Filled symbols show the locations of the center of mass of the ribbon. The color scale for time is shown.  $t_1-t_4$  refer to 17:43:26, 45:22, 46:45, and 49:22 UT, respectively.





#### Fig. 7.—Physical parameters of the magnetic reconnection as functions of time in the 2002 September 9 flare.

The top three panels show observed parameters: local magnetic field strength, ribbon velocity, and area.

The bottom three panels show derived quantities: electric field, flux change rate, and energy release rate.

The gray histogram in each panel shows the RHESSI count rate at 25–50 keV for reference.



Table 1
Electron Energy Deposition Rate versus Magnetic Energy Release Rate

Election Energy Deposition Rate versus Magnetic Energy Release Rate						
Period	γ	A [keV <sup>-1</sup>	$E_0$	$\dot{E}_{e}$	$\dot{E}_{\scriptscriptstyle B}$ ( <i>M</i> =1)	
		cm <sup>2</sup> s <sup>-1</sup>	[keV]	[10 <sup>29</sup> erg/s]	[10 <sup>30</sup> erg/s]	
$t_1$	5.6	100	10	1.4	1.2	
$t_2$	7.0	200	10	4.0	1.5	
<i>t</i> <sub>3</sub>	7.2	200	10	5.5	2.6	
$t_4$	7.3	70	13	5.6	.67	

$$\dot{E}_{e} = \dot{E}_{B}$$
 gives  $M = 0.85$  0.37 0.47 0.11  
 $\frac{1}{12}$   $\frac{1}{12}$ 

# **5.** Conclusion

- 1. HXR and eibbon observations can lead to a determination of the dimensionless magnetic reconnection rate, which is a key parameter in the physics of magnetic reconnection.
- 2. The energy release rate can be determined more accurately by using time dependent diffusion region area.
- 3. The episodic variations of the ribbon area and motion raise an important question as to which physical quantity mostly drives the magnetic reconnection.
- To use the proposed method, we need radiations that can represent the instantaneously reconnecting region better than Hα centerline. Hα blue wing or UV images may be good for this purpose.